TSG-RAN Working Group1 meeting #15 Berlin, Germany, August 22 – 25, 2000

# TSGR1#15(00)1134

Agenda item:	
Source:	NTT DoCoMo, Nokia and Nortel Networks
Title:	Revised CRs on Turbo code internal interleaver
Document for:	Decision

# Introduction

This document includes revised versions of approved CRs: 25.212 CR 085 and 25.222 CR 041 in [1]. A few editorial corrections (commented with /\*...\*/ below) were made for the description errors that were accidentally made during editing the previous CR and some additional minor corrections are also made to improve describing. These corrections should be adopted for both 25.212 and 25.222 commonly. The major revisions indicated with underlines are as follows:

Section 4.2.3.2.3

...

The following subclause specific symbols are used in subclauses 4.2.3.2.3.1 to 4.2.3.2.3.3:

<u>q_i</u>	Minimum prime integers	/*"q <sub>j</sub> " was replaced by "q <sub>i</sub> "*/
<u>r_i</u>	Permuted prime integers	/*"r <sub>j</sub> " was replaced by "r <sub>i</sub> "*/
 <u>k</u>	Index of bit sequence	/* "k" was replaced by "k"*/

Section 4.2.3.2.3.1

(2) Determine the prime number to be used in the intra-permutation, *p*, and the number of columns of rectangular matrix, *C*, such that:

if  $(481 \le K \le 530)$  then p = 53 and C = p. else Find minimum prime <u>number p from table 2</u> such that  $K \le R \times (p+1)$ , and determine C such that  $C =\begin{cases} p-1 & \text{if } K \le R \times (p-1) \\ p & \text{if } R \times (p-1) < K \le R \times p \\ p+1 & \text{if } R \times p < K \end{cases}$ <u>end if</u> /\* deleting "end if" was cancelled \*/

(3) Write the input bit sequence  $x_1, x_2, x_3, \dots, x_K$  into the  $R \times C$  rectangular matrix row by row starting with bit  $y_1$  in column 0 of row 0:

<i>y</i> <sub>1</sub>	$y_2$	<i>y</i> <sub>3</sub>	$\cdots y_C$
<i>y</i> <sub>(C+1)</sub>	$y_{(C+2)}$	$y_{(C+3)}$	$\cdots y_{2C}$
:	÷	÷	$\begin{array}{c} \cdots & y_{2C} \\ \cdots & \vdots \end{array}$
$y_{((R-1)C+1)}$	$y_{((R-1)C+2)}$	$y_{((R-1)C+3)}$	

where  $\underline{y_k} = x_k$  for k = 1, 2, ..., K and if  $R \times C > K$ , the dummy bits are padded such that  $y_k = 0 or1$  for  $k = K + 1, K + 2, ..., R \times C$ . These dummy bits are pruned away from the output of the rectangular matrix after intra-row and interrow permutations.

Section 4.2.3.2.3.2

After the bits-input to the  $R \times C$  rectangular matrix, the intra-row and inter-row permutations for the  $R \times C$  rectangular matrix are performed <u>stepwise</u> by using the following algorithm <u>with steps (1) – (6)</u>: (1) Select a primitive root *v* from table 2 in section 4.2.3.2.3.1, which is indicated on the right side of the prime number *p*.

The following attached CRs: 25.212 CR 085r1 and 25.222 CR 041r1 will supersede the original CRs: 25.212 CR 085 and 25.222 CR 041 respectively.

# Reference

[1] NTT DoCoMo, Nokia and Nortel Networks, "Editorial corrections in Turbo code internal interleaver section", TSGR1#15(00)0858

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	Form: CR cover sheet, version 2 for 3GPP and SMG The latest version of this form is available from: tip://tip.3gpp.org/Information/CR-Form-v2.doc   Proposed change affects: (U)SIM ME X UTRAN / Radio X Core Network   (at least one should be marked with an X) (U)SIM ME X UTRAN / Radio X Core Network									
Source:		NTT DoCol	Mo, Nokia and No	ortel Netv	works		Date:	24-August-2	2000	
Subject:		Editorial co	rrections in Turbo	code in	ternal inte	erleaver	section			
Work item:										
Category: (only one category shall be marked with an X)	F A B C D	Addition of	modification of fe		rlier relea		K <u>Release:</u>	Phase 2 Release 96 Release 97 Release 98 Release 99 Release 00	X	
<u>Reason for</u> change:			its padding and plathematical notation					525.201 Anne	ex A.	
Clauses affect	ted	4.2.3.2	2.3 of TS25.212							
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3G TS 25.212 V3.3.0 (2000-6)

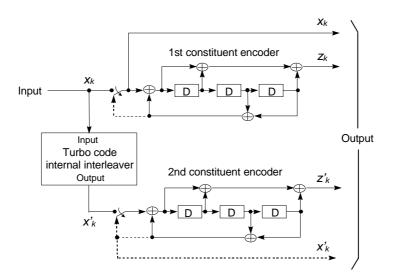
The initial value of the shift registers of the 8-state constituent encoders shall be all zeros when starting to encode the input bits.

Output from the Turbo coder is

$$x_1, z_1, z'_1, x_2, z_2, z'_2, \ldots, x_K, z_K, z'_K,$$

where  $x_1, x_2, ..., x_K$  are the bits input to the Turbo coder i.e. both first 8-state constituent encoder and Turbo code internal interleaver, and *K* is the number of bits, and  $z_1, z_2, ..., z_K$  and  $z'_1, z'_2, ..., z'_K$  are the bits output from first and second 8-state constituent encoders, respectively.

The bits output from Turbo code internal interleaver are denoted by  $x'_1, x'_2, ..., x'_K$ , and these bits are to be input to the second 8-state constituent encoder.



#### Figure 4: Structure of rate 1/3 Turbo coder (dotted lines apply for trellis termination only)

## 4.2.3.2.2 Trellis termination for Turbo coder

Trellis termination is performed by taking the tail bits from the shift register feedback after all information bits are encoded. Tail bits are padded after the encoding of information bits.

The first three tail bits shall be used to terminate the first constituent encoder (upper switch of figure 4 in lower position) while the second constituent encoder is disabled. The last three tail bits shall be used to terminate the second constituent encoder (lower switch of figure 4 in lower position) while the first constituent encoder is disabled.

The transmitted bits for trellis termination shall then be:

$$x_{K+1}, z_{K+1}, x_{K+2}, z_{K+2}, x_{K+3}, z_{K+3}, x'_{K+1}, z'_{K+1}, x'_{K+2}, z'_{K+2}, x'_{K+3}, z'_{K+3}$$

# 4.2.3.2.3 Turbo code internal interleaver

The Turbo code internal interleaver consists of bits-input to a rectangular matrix with padding, intra-row and inter-row permutations of the rectangular matrix, and bits-output from the rectangular matrix with pruning. The bits input to the Turbo code internal interleaver are denoted by  $x_1, x_2, x_3, \ldots, x_K$ , where *K* is the integer number of the bits and takes one value of  $40 \le K \le 5114$ . The relation between the bits input to the Turbo code internal interleaver and the bits input to the channel coding is defined by  $x_k = o_{irk}$  and  $K = K_i$ .

#### The following subclause specific symbols are used in subclauses 4.2.3.2.3.1 to 4.2.3.2.3.3:

pp Pri	mber of columns of rectangular matrix me number mitive root
$\frac{\overline{s(i)}}{s(j)} \langle s(j) \rangle_{j \in \{0,1\}}$	Base sequence for intra-row permutation $\{1, \dots, p-2\}$
q <sub>i</sub> q <sub>i</sub> Mi	nimum prime integers
	muted prime integers
$T_{(j)}\langle T(i)\rangle_{i\in\{0\}}$	$1, \dots, R-1$ Inter-row permutation pattern
$\underline{\mathbf{U}_{j(i)}}\left\langle U_{i}(j)\right\rangle _{j}$	Intra-row permutation pattern <u>of <i>i</i>-th row</u> $\in \{0,1,\dots,C-1\}$
i <u>i</u> Ind	lex of <u>row number of rectangular</u> matrix
	ex of <u>column number of rectangular</u> matrix
	lex of bit sequence
	-

4.2.3.2.3.1 Bits-input to rectangular matrix with padding

The bit sequence  $x_1, x_2, x_3, \dots, x_K$  input to the Turbo code internal interleaver  $\overline{x_k}$ -is written into the rectangular matrix as follows:

(1) Determine the number of rows *R*-of the rectangular matrix, *R*, such that:

 $R = \begin{cases} 5, \text{ if } (40 \le K \le 159) \\ 10, \text{ if } ((160 \le K \le 200) \text{ or } (481 \le K \le 530)) \\ 20, \text{ if } (K = \text{ any other value}) \end{cases}$ 

where t<u>T</u>he rows of rectangular matrix are numbered 0, 1,  $\frac{2}{2}$ , ..., R - 1 from top to bottom.

(2) Determine the prime number to be used in the intra-permutation, p, and the number of columns C-of rectangular matrix,  $\underline{C}$ , such that:

if  $(481 \le K \le 530)$  then

$$p = 53$$
 and  $C = p$ .

else

Find minimum prime <u>number p from table 2</u> such that

 $(p+1) \quad K/R \geq 0 K \leq R \times (p+1),$ 

and determine C such that

$$C = \begin{cases} p - 1 & \text{if } K \le R \times (p - 1) \\ p & \text{if } R \times (p - 1) < K \le R \times p \\ p + 1 & \text{if } R \times p < K \end{cases}$$

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if (p - K/R \ge 0) then
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\frac{\text{if } (p-1-K/R \ge 0) \text{ then}}{C = p - 1.}
```

else

C = p.

end if

else

C = p + 1

#### end if

end if

where t<u>T</u>he columns of rectangular matrix are numbered 0, 1,  $\frac{2}{2}$ , ..., C - 1 from left to right.

<u>p</u>	<u>v</u>	<u>0</u>	<u>v</u>	<u>0</u>	<u>v</u>	<u>p</u>	<u>v</u>	P	<u>v</u>
<u>7</u>	<u>3</u>	<u>47</u>	<u>5</u>	<u>101</u>	<u>2</u>	<u>157</u>	<u>5</u>	<u>223</u>	<u>3</u>
<u>11</u>	<u>2</u>	<u>53</u>	<u>2</u>	<u>103</u>	<u>5</u>	<u>163</u>	<u>2</u>	<u>227</u>	<u>2</u>
<u>13</u>	<u>2</u>	<u>59</u>	2	<u>107</u>	<u>2</u>	<u>167</u>	<u>5</u>	<u>229</u>	<u>6</u>
<u>17</u>	<u>3</u>	<u>61</u>	<u>2</u>	<u>109</u>	<u>6</u>	<u>173</u>	<u>2</u>	<u>233</u>	<u>3</u>
<u>19</u>	2	<u>67</u>	2	<u>113</u>	<u>3</u>	<u>179</u>	2	<u>239</u>	<u>7</u>
<u>23</u>	<u>5</u>	<u>71</u>	<u>7</u>	<u>127</u>	<u>3</u>	<u>181</u>	<u>2</u>	<u>241</u>	<u>7</u>
<u>29</u>	<u>2</u>	<u>73</u>	<u>5</u>	<u>131</u>	<u>2</u>	<u>191</u>	<u>19</u>	<u>251</u>	<u>6</u>
<u>31</u>	<u>3</u>	<u>79</u>	3	<u>137</u>	<u>3</u>	<u>193</u>	<u>5</u>	<u>257</u>	<u>3</u>
<u>37</u>	<u>2</u>	<u>83</u>	<u>2</u>	<u>139</u>	<u>2</u>	<u>197</u>	<u>2</u>		
<u>41</u>	<u>6</u>	<u>89</u>	<u>3</u>	<u>149</u>	<u>2</u>	<u>199</u>	<u>3</u>		
<u>43</u>	<u>3</u>	<u>97</u>	<u>5</u>	<u>151</u>	<u>6</u>	<u>211</u>	2		

## Table 2: List of prime number p and associated primitive root v

(3) Write the input bit sequence  $x_k x_1, x_2, x_3, \dots, x_K$  into the  $R \times C$  rectangular matrix row by row starting with bit  $xy_1$  in column 0 of row 0:

$x_1$	<i>x</i> <sub>2</sub>	<i>x</i> <sub>3</sub>	$\ldots x_C$	y <sub>1</sub>	<i>y</i> <sub>2</sub>	<i>y</i> <sub>3</sub>	$\cdots y_C$
$x_{(C+1)}$	$x_{(C+2)}$	$x_{(C+3)}$	$\dots x_{2C}$	<i>Y</i> ( <i>C</i> +1)	$y_{(C+2)}$	$y_{(C+3)}$	$\cdots y_{2C}$
:	:	÷	:		÷	÷	
$x_{((R-1)C+1)}$	$x_{((R-1)C+2)}$	$x_{((R-1)C+3)}$	$\dots x_{RC}$	$y_{((R-1)C+1)}$	$\mathcal{Y}_{((R-1)C+2)}$	$y_{((R-1)C+3)}$	$\dots y_{R \times C}$

where  $y_k = x_k$  for k = 1, 2, ..., K and if  $R \times C > K$ , the dummy bits are padded such that  $y_k = 0 or1$  for  $k = K + 1, K + 2, ..., R \times C$ . These dummy bits are pruned away from the output of the rectangular matrix after intra-row and interrow permutations.

# 4.2.3.2.3.2 Intra-row and inter-row permutations

After the bits-input to the  $R \times C$  rectangular matrix, the intra-row and inter-row permutations for the  $R \times C$  rectangular matrix are performed stepwise by using the following algorithm with steps (1) - (6):-

(1) Select a primitive root v from table 2 in section 4.2.3.2.3.1, which is indicated on the right side of the prime number  $\underline{p}$ .

(2) Construct the base sequence  $s(i) \langle s(j) \rangle_{j \in \{0,1,\dots,p-2\}}$  for intra-row permutation as:

 $\underline{s(i) = [v \times \underline{s(i-1)}] \mod p} s(j) = (n \times s(j-1)) \mod p, \\ \underline{ij} = 1, 2, \dots, (p-2), \text{ and } s(0) = 1.$ 

(3) Let<u>Assign</u>  $q_0 = 1$  to be the first prime integer in  $\{q_i\}$  the sequence  $\langle q_i \rangle_{i \in \{0,1,\dots,R-1\}}$ , and selectdetermine the consecutive minimum prime integers  $\{q_{j_{1}}\}$  in the sequence  $\langle q_i \rangle_{i \in \{0,1,\dots,R-1\}}$ .  $(j = 1, 2, \dots, R-1)$  to be a least prime integer such that:

g.c.d $(q_{ji}, p - 1) = 1, q_{ji} > 6, \text{ and } q_{ji} > q_{(ji-1)}, \text{ for each } i = 1, 2, ..., R - 1.$ 

Here where g.c.d. is greatest common divisor.

(4) Permute  $\frac{\{q_i\}}{\text{the sequence}} \langle q_i \rangle_{i \in \{0,1,\dots,R-1\}}$  to make  $\frac{\{r_i\}}{\text{the sequence}} \langle r_i \rangle_{i \in \{0,1,\dots,R-1\}}$  such that

 $r_{T(\underline{i}\underline{i})} = q_{\underline{i}\underline{i}}, \ \underline{j}\underline{i} = 0, 1, \ \dots, R - 1,$ 

where T(j)  $(j = 0, 1, 2, ..., R-1) \langle T(i) \rangle_{i \in \{0, 1, \dots, R-1\}}$  is the inter-row permutation pattern defined as the one of the

following four kind of patterns, which are shown in table 3,:  $Pat_1, Pat_2, Pat_3, and Pat_4$  depending on the number of input bits *K*.

$$\left\{ \begin{aligned} &Pat_4 & \text{if } (40 \le K \le 159) \\ &Pat_3 & \text{if } (160 \le K \le 200) \\ &Pat_1 & \text{if } (201 \le K \le 480) \\ &Pat_3 & \text{if } (481 \le K \le 530) \\ &Pat_1 & \text{if } (531 \le K \le 2280) \\ &Pat_2 & \text{if } (2281 \le K \le 2480) \\ &Pat_1 & \text{if } (2481 \le K \le 3160) \\ &Pat_2 & \text{if } (3161 \le K \le 3210) \\ &Pat_1 & \text{if } (3211 \le K \le 5114) \end{aligned} \right.$$

where Pat<sub>4</sub>, Pat<sub>2</sub>, Pat<sub>3</sub> and Pat<sub>4</sub> have the following patterns respectively.

Pat<sub>4</sub>: {19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 10, 8, 13, 17, 3, 1, 16, 6, 15, 11}

Pat<sub>2</sub>: {19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 16, 13, 17, 15, 3, 1, 6, 11, 8, 10}

*Pat*<sub>3</sub>: {9, 8, 7, 6, 5, 4, 3, 2, 1, 0}

Pat<sub>4</sub>: {4, 3, 2, 1, 0}

Table 3: Inter-row permutation patterns for Turbo code internal interleaver

Number of input bits <u>K</u>	<u>Number</u> of rows <i>R</i>	<u>Inter-row permutation patterns</u> < <u>&lt;</u> T(0), T(1),, T(R - 1)>
<u>(40</u> ≤ <u>K</u> ≤ <u>159)</u>	<u>5</u>	<u>&lt;4, 3, 2, 1, 0&gt;</u>
$(160 \le K \le 200)$ or $(481 \le K \le 530)$	<u>10</u>	<u>&lt;9, 8, 7, 6, 5, 4, 3, 2, 1, 0&gt;</u>
$(2281 \le K \le 2480)$ or $(3161 \le K \le 3210)$	<u>20</u>	<u>&lt;19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 16, 13, 17, 15, 3, 1, 6, 11, 8, 10&gt;</u>
K = any other value	<u>20</u>	<u>&lt;19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 10, 8, 13, 17, 3, 1, 16, 6, 15, 11&gt;</u>

(5) Perform the  $\underline{ji}$ -th ( $\underline{ji} = 0, 1, \frac{2}{2}, \dots, R - 1$ ) intra-row permutation as:

if (C = p) then

 $\frac{U_{j}(i) = s([i \times r_{j}] \mod (p-1))}{U_{i}(j)} = s((j \times r_{i}) \mod (p-1)), \quad ij = 0, 1, 2, \dots, (p-2)_{n-2} \text{ and } U_{jj}(p-1) = 0,$ 

where  $U_{ij}(ij)$  is the inputoriginal bit position of ij-th output after the permutation permuted bit of ji-th row.

end if

if (C = p + 1) then

$$U_{j}(i) = s([i \times r_{j}] \mod (p-1)) U_{i}(j) = s((j \times r_{i}) \mod (p-1)), \quad ij = 0, 1, -2, \dots, (p-2), \quad U_{j}(p-1) = 0, \text{ and } U_{j}(p) = p,$$

where  $U_{ii}(ij)$  is the inputoriginal bit position of ij-th output after the permutation permuted bit of jj-th row, and

if  $(K = \frac{C \times R \times C}{C})$  then

Exchange  $U_{R-1}(p)$  with  $U_{R-1}(0)$ .

end if

end if

if 
$$(C = p - 1)$$
 then

 $\frac{U_{j}(i) = s([i \times r_{j}] \mod (p-1)) - 1}{U_{i}(j)} = s((j \times r_{i}) \mod (p-1)) - 1, \quad \frac{i}{2} = 0, 1, \frac{2}{2}, \dots, (p-2),$ 

where  $U_{ij}(ij)$  is the input-original bit position of ij-th output after the permutation permuted bit of ji-th row.

end if

(6) Perform the inter-row permutation for the rectangular matrix based on the pattern T(j) (j = 0, 1, 2, ..., R-1) $(T(i))_{i \in \{0, 1, ..., R-1\}}$ ,

where  $T(\underline{ji})$  is the original row position of the  $\underline{ji}$ -th permuted row.

<del>p</del>	¥	<del>p</del>	¥	<del>p</del>	¥	þ	¥	þ	¥
7	<del>3</del>	47	<del>5</del>	<del>101</del>	2	<del>157</del>	<del>5</del>	<del>223</del>	<del>З</del>
11	2	<del>53</del>	2	<del>103</del>	<del>5</del>	<del>163</del>	2	<del>227</del>	2
<del>13</del>	2	<del>59</del>	2	<del>107</del>	2	<del>167</del>	5	<del>229</del>	Ф
<del>17</del>	<del>3</del>	<del>61</del>	2	<del>109</del>	<del>6</del>	<del>173</del>	2	<del>233</del>	3
<del>19</del>	2	<del>67</del>	2	<del>113</del>	3	<del>179</del>	2	<del>239</del>	7
<del>23</del>	<del>5</del>	<del>71</del>	7	<del>127</del>	<del>3</del>	<del>181</del>	2	<del>241</del>	7
<del>29</del>	2	<del>73</del>	5	<del>131</del>	2	<del>191</del>	<del>19</del>	<del>251</del>	Ф
<del>31</del>	3	<del>79</del>	3	<del>137</del>	3	<del>193</del>	5	<del>257</del>	3
<del>37</del>	2	<del>83</del>	2	<del>139</del>	2	<del>197</del>	2		
41	<del>6</del>	<del>89</del>	<del>3</del>	<del>149</del>	2	<del>199</del>	<del>3</del>		
4 <del>3</del>	<del>3</del>	<del>97</del>	<del>5</del>	<del>151</del>	<del>6</del>	<del>211</del>	2		

#### Table 2: Table of prime p and associated primitive root v

#### 4.2.3.2.3.3 Bits-output from rectangular matrix with pruning

After intra-row and inter-row permutations, the bits of the permuted rectangular matrix are denoted by y'k:

$$\begin{bmatrix} y'_1 & y'_{(R+1)} & y'_{(2R+1)} & \cdots & y'_{((C-1)R+1)} \\ y'_2 & y'_{(R+2)} & y'_{(2R+2)} & \cdots & y'_{((C-1)R+2)} \\ \vdots & \vdots & \vdots & & \vdots \\ y'_R & y'_{2R} & y'_{3R} & \cdots & y'_{CR} \end{bmatrix} \begin{bmatrix} y'_1 & y'_{(R+1)} & y'_{(2R+1)} & \cdots & y'_{((C-1)R+1)} \\ y'_2 & y'_{(R+2)} & y'_{(2R+2)} & \cdots & y'_{((C-1)R+2)} \\ \vdots & \vdots & \vdots & & \vdots \\ y'_R & y'_{2R} & y'_{3R} & \cdots & y'_{CR} \end{bmatrix}$$

The output of the Turbo code internal interleaver is the bit sequence read out column by column from the intra-row and inter-row permuted  $R \times C$  rectangular matrix starting with bit  $y'_1$  in row 0 of column 0 and ending with bit  $y'_{CR}$  in row R - 1 of column C - 1. The output is pruned by deleting <u>dummy</u> bits that were not presentpadded into the input bit sequence of the rectangular matrix before intra-row and inter row permutations, i.e. bits  $y'_k$  that corresponds to bits  $xy_k$  with k > K are removed from the output. The bits output from Turbo code internal interleaver are denoted by  $x'_1, x'_2, ..., x'_K$ , where  $x'_1$  corresponds to the bit  $y'_k$  with smallest index k after pruning,  $x'_2$  to the bit  $y'_k$  with second smallest index k after pruning, and so on. The number of bits output from Turbo code internal interleaver is K and the total number of pruned bits is:

$$R \times C - K$$
.

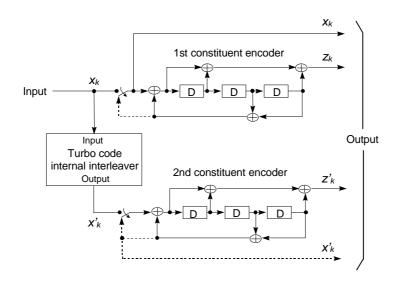
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GSM (AA.BB) or 3	3G (A	A.BBB) specific	ation number $\uparrow$		1	CR number a	as allocated by MC	C support team	
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Proposed chai	nge	affects:	ersion 2 for 3GPP and SM	G The lates		this form is avail	able from: ftp://ftp.3gpj / Radio X	o.org/Information/CR	
Source:		NTT DoCol	<mark>Mo, Nokia and N</mark>	ortel Net	works		Date	: 24-Augus	st-2000
Subject:		Editorial co	rrections in Turb	<mark>o code ir</mark>	iternal ir	nterleaver	section		
Work item:									
(only one category shall be marked	В	Addition of	modification of f		arlier rel		<u>Release:</u>	Phase 2 Release 9 Release 9 Release 9 Release 9 Release 9	97 98 99 <b>X</b>
<u>Reason for</u> change:			ts padding and pathematical nota					rS25.201 Ar	inex A.
Clauses affect	ed:	4.2.3.2	2.3 of TS25.222						
Other specs affected:	O M B	ther 3G cor ther GSM c specificat IS test spec SS test spe &M specific	ions ifications cifications		$\begin{array}{l} \rightarrow \text{ List} \\ \rightarrow \text{ List} \end{array}$	of CRs: of CRs: of CRs:			
<u>Other</u> comments:									

where  $x_1, x_2, ..., x_K$  are the bits input to the Turbo coder i.e. both first 8-state constituent encoder and Turbo code internal interleaver, and *K* is the number of bits, and  $z_1, z_2, ..., z_K$  and  $z'_1, z'_2, ..., z'_K$  are the bits output from first and second 8-state constituent encoders, respectively.

The bits output from Turbo code internal interleaver are denoted by  $x'_1, x'_2, ..., x'_K$ , and these bits are to be input to the second 8-state constituent encoder.



# Figure 3: Structure of rate 1/3 Turbo coder (dotted lines apply for trellis termination only)

# 4.2.3.2.2 Trellis termination for Turbo coder

Trellis termination is performed by taking the tail bits from the shift register feedback after all information bits are encoded. Tail bits are padded after the encoding of information bits.

The first three tail bits shall be used to terminate the first constituent encoder (upper switch of figure 4 in lower position) while the second constituent encoder is disabled. The last three tail bits shall be used to terminate the second constituent encoder (lower switch of figure 4 in lower position) while the first constituent encoder is disabled.

The transmitted bits for trellis termination shall then be:

$$x_{K+1}, z_{K+1}, x_{K+2}, z_{K+2}, x_{K+3}, z_{K+3}, x'_{K+1}, z'_{K+1}, x'_{K+2}, z'_{K+2}, x'_{K+3}, z'_{K+3}$$

# 4.2.3.2.3 Turbo code internal interleaver

The Turbo code internal interleaver consists of bits-input to a rectangular matrix with padding, intra-row and inter-row permutations of the rectangular matrix, and bits-output from the rectangular matrix with pruning. The bits input to the Turbo code internal interleaver are denoted by  $x_1, x_2, x_3, ..., x_K$ , where *K* is the integer number of the bits and takes one value of  $40 \le K \le 5114$ . The relation between the bits input to the Turbo code internal interleaver and the bits input to the channel coding is defined by  $x_k = o_{irk}$  and  $K = K_i$ .

#### The following subclause specific symbols are used in subclauses 4.2.3.2.3.1 to 4.2.3.2.3.3:

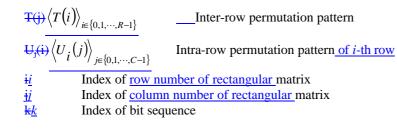
<u><b>K</b></u> <u>K</u>	Number of bits input to Turbo code internal interleaver						
<u> </u>	Number of rows of rectangular matrix						
<u>С</u>	Number of columns of rectangular matrix						
<u>₽</u> 2	Prime number						
<u>₩</u>	Primitive root						
$\frac{s(i)}{s(j)}$	$b_{j \in \{0,1,\cdots,p-2\}}$ Base sequence for intra-row permutation						
$\mathbf{q}_{i} \mathbf{q}_{i}$	Minimum prime integers						
	Dermuted prime integers						

 $\mathbf{F}_{j} \underline{r_{i}}$  Permuted prime integers

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4.2.3.2.3.1 Bits-input to rectangular matrix with padding

The bit sequence  $x_1, x_2, x_3, \dots, x_K$  input to the Turbo code internal interleaver  $\overline{x_k}$ -is written into the rectangular matrix as follows:

(1) Determine the number of rows R-of the rectangular matrix, R, such that:

 $R = \begin{cases} 5, \text{ if } (40 \le K \le 159) \\ 10, \text{ if } ((160 \le K \le 200) \text{ or } (481 \le K \le 530)) \\ 20, \text{ if } (K = \text{ any other value}) \end{cases}$ 

where t<u>T</u>he rows of rectangular matrix are numbered 0,  $1, \frac{2}{2}, \dots, R$  - 1 from top to bottom.

(2) Determine the prime number to be used in the intra-permutation, p, and the number of columns C-of rectangular matrix,  $\underline{C}$ , such that:

if  $(481 \le K \le 530)$  then

$$p = 53$$
 and  $C = p$ .

else

Find minimum prime <u>number p from table 2</u> such that

 $(p+1) - K/R \ge 0 K \le R \times (p+1),$ 

and determine C such that

```
C = \begin{cases} p - 1 & \text{if } K \leq R \times (p - 1) \\ p & \text{if } R \times (p - 1) < K \leq R \times p \\ p + 1 & \text{if } R \times p < K \end{cases}
```

if  $(p - K/R \ge 0)$  then

```
if (p - 1 - K/R \ge 0) then
```

```
C = p - 1.
```

<del>else</del>

C = p

end if

else

```
C = p + 1
```

end if

end if

where tThe columns of rectangular matrix are numbered 0, 1,  $\frac{2}{2}$ , ..., C - 1 from left to right.

P	<u>v</u>	<u>p</u>	<u>v</u>	<u>p</u>	<u>v</u>	P	<u>v</u>	<u>p</u>	<u>v</u>
<u>7</u>	<u>3</u>	<u>47</u>	<u>5</u>	<u>101</u>	<u>2</u>	<u>157</u>	<u>5</u>	<u>223</u>	<u>3</u>
<u>11</u>	<u>2</u>	<u>53</u>	<u>2</u>	<u>103</u>	5	<u>163</u>	2	<u>227</u>	<u>2</u>
<u>13</u>	2	<u>59</u>	2	<u>107</u>	2	<u>167</u>	5	229	<u>6</u>
<u>17</u>	<u>3</u>	<u>61</u>	<u>2</u>	<u>109</u>	<mark>6</mark>	<u>173</u>	2	<u>233</u>	<u>3</u>
<u>19</u>	2	<u>67</u>	2	<u>113</u>	3	<u>179</u>	2	<u>239</u>	<u>7</u>
<u>23</u>	<u>5</u>	<u>71</u>	<u>7</u>	<u>127</u>	<u>3</u>	<u>181</u>	2	<u>241</u>	<u>7</u>
<u>29</u>	<u>2</u>	<u>73</u>	<u>5</u>	<u>131</u>	2	<u>191</u>	<u>19</u>	<u>251</u>	<u>6</u>
<u>31</u>	<u>3</u>	<u>79</u>	<u>3</u>	<u>137</u>	<u>3</u>	<u>193</u>	<u>5</u>	<u>257</u>	<u>3</u>
<u>37</u>	2	<u>83</u>	2	<u>139</u>	2	<u>197</u>	2		
<u>41</u>	<u>6</u>	<u>89</u>	<u>3</u>	<u>149</u>	2	<u>199</u>	3		
<u>43</u>	<u>3</u>	<u>97</u>	<u>5</u>	<u>151</u>	<u>6</u>	<u>211</u>	<u>2</u>		

#### Table 2: List of prime number p and associated primitive root v

(3) Write the input bit sequence  $x_k x_1, x_2, x_3, \dots, x_K$  into the  $R \times C$  rectangular matrix row by row starting with bit  $x_2$ in column 0 of row 0:

$\begin{bmatrix} x_1 \end{bmatrix}$	<i>x</i> <sub>2</sub>	<i>x</i> <sub>3</sub>	<i>x</i> <sub>C</sub>	y <sub>1</sub>	<i>y</i> <sub>2</sub>	<i>y</i> <sub>3</sub>	$\cdots y_C$
<i>x</i> <sub>(C+1)</sub>	$x_{(C+2)}$	$x_{(C+3)}$	$\dots x_{2C}$	<i>y</i> ( <i>C</i> +1)	$y_{(C+2)}$	$y_{(C+3)}$	y <sub>2C</sub>
:	÷	÷	:	-	÷	÷	:
$x_{((R-1)C+1)}$	$x_{((R-1)C+2)}$	$x_{((R-1)C+3)}$	$\dots x_{RC}$	$y_{((R-1)C+1)}$	$y_{((R-1)C+2)}$	$y_{((R-1)C+3)}$	$\cdots y_{R \times C}$

where  $y_k = x_k$  for k = 1, 2, ..., K and if  $R \times C > K$ , the dummy bits are padded such that  $y_k = 0 or1$  for k = K + 1, K + 12, ...,  $R \times C$ . These dummy bits are pruned away from the output of the rectangular matrix after intra-row and interrow permutations.

#### 4.2.3.2.3.2 Intra-row and inter-row permutations

After the bits-input to the  $R \times C$  rectangular matrix, the intra-row and inter-row permutations for the  $R \times C$  rectangular matrix are performed stepwise by using the following algorithm with steps (1) - (6).

(1) Select a primitive root v from table 2 in section 4.2.3.2.3.1, which is indicated on the right side of the prime number <u>p</u>.

(2) Construct the base sequence  $\frac{s(i)}{s(j)} \langle s(j) \rangle_{j \in \{0,1,\dots,p-2\}}$  for intra-row permutation as:

 $s(i) = [v \times s(i-1)] \mod p \ s(j) = (n \times s(j-1)) \mod p \ , ij = 1, 2, ..., (p-2), and s(0) = 1.$ 

(3) Let<u>Assign</u>  $q_0 = 1$  to be the first prime integer in  $\{q_j\}$  the sequence  $\langle q_i \rangle_{i \in \{0, 1, \dots, R-1\}}$ , and select<u>determine</u> the consecutive minimum prime integers  $\{q_{j!}\}$  in the sequence  $\langle q_i \rangle_{i \in \{0,1,\dots,R-1\}}$   $(j = 1, 2, \dots, R-1)$  to be a least prime integer such that:

g.c.d $(q_{ji}, p - 1) = 1, q_{ji} > 6$ , and  $q_{ji} > q_{(ji-1)}$ , for each i = 1, 2, ..., R - 1.

Here where g.c.d. is greatest common divisor.

(4) Permute  $\frac{\{q_j\}}{\text{the sequence}} \langle q_i \rangle_{i \in \{0,1,\dots,R-1\}}$  to make  $\frac{\{r_j\}}{\text{the sequence}} \langle r_i \rangle_{i \in \{0,1,\dots,R-1\}}$  such that

 $r_{T(ij)} = q_{ij}, \ \frac{1}{2}i = 0, 1, \dots, R-1,$ 

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where T(j)  $(j = 0, 1, 2, ..., R-1) \langle T(i) \rangle_{i \in \{0, 1, ..., R-1\}}$  is the inter-row permutation pattern defined as the one of the following four kind of patterns, which are shown in table 3,: Pat1, Pat2, Pat3 and Pat4 depending on the number of

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input bits K.

$$\left\{ \begin{aligned} &Pat_4 & \text{if } (40 \le K \le 159) \\ &Pat_3 & \text{if } (160 \le K \le 200) \\ &Pat_1 & \text{if } (201 \le K \le 480) \\ &Pat_3 & \text{if } (481 \le K \le 530) \\ &Pat_1 & \text{if } (531 \le K \le 2280) \\ &Pat_2 & \text{if } (2281 \le K \le 2480) \\ &Pat_1 & \text{if } (2481 \le K \le 3160) \\ &Pat_2 & \text{if } (3161 \le K \le 3210) \\ &Pat_1 & \text{if } (3211 \le K \le 5114) \end{aligned} \right.$$

( -

where Pat<sub>1</sub>, Pat<sub>2</sub>, Pat<sub>3</sub> and Pat<sub>4</sub> have the following patterns respectively.

*Pat*<sub>1</sub>: {19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 10, 8, 13, 17, 3, 1, 16, 6, 15, 11}

Pat2: {19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 16, 13, 17, 15, 3, 1, 6, 11, 8, 10}

*Pat*<sub>3</sub>: {9, 8, 7, 6, 5, 4, 3, 2, 1, 0}

Pat<sub>4</sub>: {4, 3, 2, 1, 0}

# Table 3: Inter-row permutation patterns for Turbo code internal interleaver

Number of input bits	Number	Inter-row permutation patterns
<u>K</u>	of rows R	<u>&lt;7(0), 7(1),, 7(R - 1)&gt;</u>
<u>(40</u> ≤ <u>K</u> ≤ <u>159)</u>	<u>5</u>	<u>&lt;4, 3, 2, 1, 0&gt;</u>
$(160 \le K \le 200)$ or $(481 \le K \le 530)$	<u>10</u>	<u>&lt;9, 8, 7, 6, 5, 4, 3, 2, 1, 0&gt;</u>
$(2281 \le K \le 2480)$ or $(3161 \le K \le 3210)$	<u>20</u>	<u>&lt;19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 16, 13, 17, 15, 3, 1, 6, 11, 8, 10&gt;</u>
<u>K = any other value</u>	<u>20</u>	<u>&lt;19, 9, 14, 4, 0, 2, 5, 7, 12, 18, 10, 8, 13, 17, 3, 1, 16, 6, 15, 11&gt;</u>

(5) Perform the  $\underline{j}$ -th ( $\underline{j}$  = 0, 1,  $\underline{2}$ , ..., R - 1) intra-row permutation as:

```
if (C = p) then
```

 $U_{i}(i) = s([i \times r_{i}] \mod (p-1)) U_{i}(j) = s((j \times r_{i}) \mod (p-1)), \quad ij = 0, 1, 2, \dots, (p-2)_{i,j}, \text{ and } U_{jj}(p-1) = 0, \dots, (p-2)_{i,j}, \dots, (p-2)_{i,j$ 

where  $U_{ii}(ij)$  is the input original bit position of ij-th output after the permutation permuted bit of ji-th row.

end if

if 
$$(C = p + 1)$$
 then

 $U_{j(i)} = s([i \times r_{j}] \mod (p-1)) U_{i}(j) = s((j \times r_{i}) \mod (p-1)), \quad ij = 0, 1, -2, \dots, (p-2), \quad U_{ji}(p-1) = 0, \text{ and } U_{ji}(p) = p,$ 

where  $U_{ii}(ij)$  is the input original bit position of ij-th output after the permutation permuted bit of ji-th row, and

if  $(K = \underbrace{C \times R \times C})$  then

Exchange  $U_{R-1}(p)$  with  $U_{R-1}(0)$ .

end if

end if

if (C = p - 1) then

 $U_{j}(i) = s([i \times r_{j}] \mod(p-1)) - 1 U_{i}(j) = s((j \times r_{i}) \mod(p-1)) - 1, \quad \underline{ij} = 0, 1, -2, \dots, (p-2),$ 

where  $U_{j\underline{i}}(i\underline{j})$  is the input-original bit position of  $i\underline{j}$ -th output after the permutation permuted bit of  $j\underline{i}$ -th row.

end if

(6) Perform the inter-row permutation for the rectangular matrix based on the pattern T(j) (j = 0, 1, 2, ..., R-1)(j = 0, 1, 2, ..., R-1),

where  $T(\underline{ji})$  is the original row position of the  $\underline{ji}$ -th permuted row.

<del>p</del>	¥	<del>p</del>	¥	<del>p</del>	¥	<del>p</del>	¥	<del>p</del>	<b>-V</b>
7	3	47	<del>5</del>	<del>101</del>	2	<del>157</del>	<del>5</del>	<del>223</del>	3
<del>11</del>	2	<del>53</del>	2	<del>103</del>	<del>5</del>	<del>163</del>	2	<del>227</del>	2
<del>13</del>	2	<del>59</del>	2	<del>107</del>	2	<del>167</del>	<del>5</del>	<del>229</del>	<del>6</del>
<del>17</del>	<del>3</del>	<del>61</del>	2	<del>109</del>	<del>6</del>	<del>173</del>	2	<del>233</del>	<del>З</del>
<del>19</del>	2	<del>67</del>	2	<del>113</del>	<del>3</del>	<del>179</del>	2	<del>239</del>	7
<del>23</del>	5	71	7	<del>127</del>	3	<del>181</del>	2	<del>2</del> 41	7
<del>29</del>	2	<del>73</del>	<del>5</del>	<del>131</del>	2	<del>191</del>	<del>19</del>	<del>251</del>	¢
<del>31</del>	<del>3</del>	<del>79</del>	3	<del>137</del>	<del>3</del>	<del>193</del>	<del>5</del>	<del>257</del>	<del>3</del>
<del>37</del>	2	<del>83</del>	2	<del>139</del>	2	<del>197</del>	2		
41	<del>6</del>	<del>89</del>	3	<del>149</del>	2	<del>199</del>	<del>3</del>		
<del>43</del>	<del>3</del>	<del>97</del>	<del>5</del>	<del>151</del>	<del>6</del>	<del>211</del>	2		

#### Table 2: Table of prime p and associated primitive root v

## 4.2.3.2.3.3 Bits-output from rectangular matrix with pruning

After intra-row and inter-row permutations, the bits of the permuted rectangular matrix are denoted by y'k:

$$\begin{bmatrix} y'_{1} & y'_{(R+1)} & y'_{(2R+1)} & \cdots & y'_{((C-1)R+1)} \\ y'_{2} & y'_{(R+2)} & y'_{(2R+2)} & \cdots & y'_{((C-1)R+2)} \\ \vdots & \vdots & \vdots & \cdots & \vdots \\ y'_{R} & y'_{2R} & y'_{3R} & \cdots & y'_{CR} \end{bmatrix} \begin{bmatrix} y'_{1} & y'_{(R+1)} & y'_{(2R+1)} & \cdots & y'_{((C-1)R+1)} \\ y'_{2} & y'_{(R+2)} & y'_{(2R+2)} & \cdots & y'_{((C-1)R+2)} \\ \vdots & \vdots & \vdots & \cdots & \vdots \\ y'_{R} & y'_{2R} & y'_{3R} & \cdots & y'_{C\times R} \end{bmatrix}$$

The output of the Turbo code internal interleaver is the bit sequence read out column by column from the intra-row and inter-row permuted  $R \times C$  rectangular matrix starting with bit  $y'_1$  in row 0 of column 0 and ending with bit  $y'_{CR}$  in row R - 1 of column C - 1. The output is pruned by deleting <u>dummy</u> bits that were not presentpadded into the input bit sequence of the rectangular matrix before intra-row and inter row permutations, i.e. bits  $y'_k$  that corresponds to bits  $\underline{xy}_k$  with k > K are removed from the output. The bits output from Turbo code internal interleaver are denoted by  $x'_1, x'_2, ..., x'_K$ , where  $x'_1$  corresponds to the bit  $y'_k$  with smallest index k after pruning,  $x'_2$  to the bit  $y'_k$  with second smallest index k after pruning, and so on. The number of bits output from Turbo code internal interleaver is K and the total number of pruned bits is:

$$R \times C - K$$
.